Fill in the Action and Goto tables for an LALR parser for the grammar given below, where the start symbol is **E**. Although the grammar is ambiguous, your parser must not be ambiguous: an ambiguous string, such as $x - y - z$ or $x + y * z$, must be parsed according to the usual precedence of operators. "$\wedge$" stands for exponentiation, *i.e.,* $x \wedge y$ means x^y. Exponentiation is right-associative, as in Python. Thus, $a \wedge a \wedge a$ means $a \wedge (a \wedge a)$. Note: **id** stands for any variable name, such as x, y, or z. Thus, if the expression is $x - y - z$, you can think of the input to the parser as **id - id - id**.

1. $\mathbf{E} \longrightarrow \mathbf{E}_{1,13} +_2 \mathbf{E}_3$
2. $\mathbf{E} \longrightarrow \mathbf{E}_{1,13} -_4 \mathbf{E}_5$
3. $\mathbf{E} \longrightarrow \mathbf{E}_{1,3,5,13} *_6 \mathbf{E}_7$
4. $\mathbf{E} \longrightarrow -_8 \mathbf{E}_9$
5. $\mathbf{E} \longrightarrow \mathbf{E}_{1,3,5,7,9,11,13} \wedge_{10} \mathbf{E}_{11}$
6. $\mathbf{E} \longrightarrow (_{12} \mathbf{E}_{13})_{14}$
7. $\mathbf{E} \longrightarrow \mathbf{id}_{15}$

	id	+	−	⋆	∧	(	)	eof	**E**
0	$s15$		$s8$			$s12$			1
1		$s2$	$s4$	$s6$	$s10$			halt	
2	$s15$		$s8$			$s12$			3
3		$r1$	$r1$	$s6$	$s10$		$r1$	$r1$	
4	$s15$		$s8$			$s12$			5
5		$r2$	$r2$	$s6$	$s10$		$r2$	$r2$	
6	$s15$		$s8$			$s12$			7
7		$r3$	$r3$	$r3$	$s10$		$r3$	$r3$	
8	$s15$		$s8$			$s12$			9
9		$r4$	$r4$	$r4$	$s10$		$r4$	$r4$	
10	$s15$		$s8$			$s12$			11
11		$r5$	$r5$	$r5$	$s10$		$r5$	$r5$	
12	$s15$		$s8$			$s12$			13
13		$s2$	$s4$	$s6$	$s10$		$s14$		
14		$r6$	$r6$	$r6$	$r6$		$r6$	$r6$	
15		$r7$	$r7$	$r7$	$r7$		$r7$	$r7$	